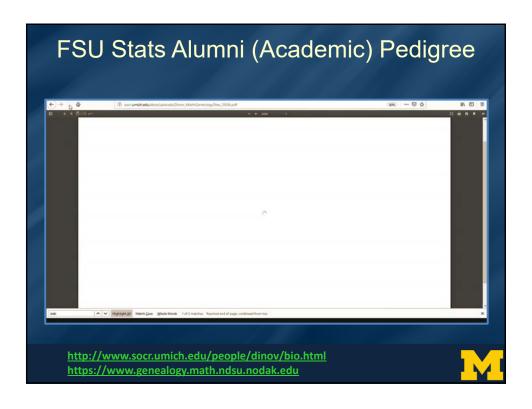
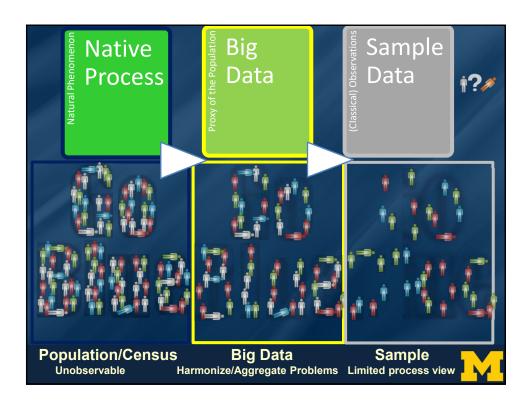
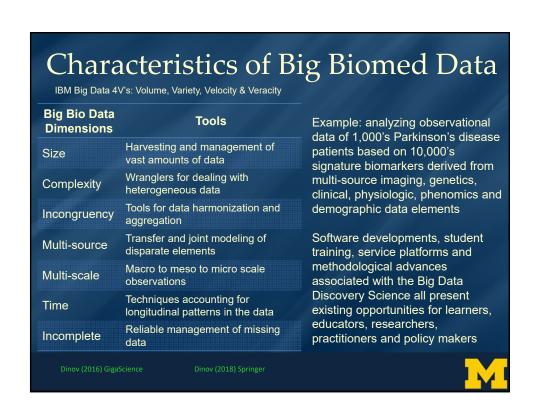


My Perspective on Stats & Math @ FSU □ 1947 – FSU □ FL State College(1905)←FL University(1883)←West FL Seminary (1857) □ 1906 – Math (Chair: Elmer Smith; til' 1942, cf. Smith Hall) □ 1950's → Topology (Morton Curtis, Thomas Wade, Orville Harrold) □ 1959 – Stats spins off of Math □ 1967 – De Witt Sumners (RO Lawton Prof.) joins □ 1982 – Fred Huffer joins Stats (from Stanford) □ 1993-1998 – ID dually enrolled in Math/Stats □ ... □ 2019 – FSU-Stats 60th anniversary https://www.math.fsu.edu/News/Math_Newsletter_Fal2001.pdf https://www.math.fsu.edu/News/Math_Newsletter_Spr2006.pdf



Outline □ Driving biomedical & health challenges □ Common characteristics of Big Neuroscience Data □ ε-Differential Privacy & Homomorphic Encryption □ DataSifter: Statistical obfuscation □ Case-studies □ Applications to Neurodegenerative Disease (Udall/MADC) □ Autism Brain Imaging Data Exchange (ABIDE) □ Population Census-like Neuroscience





ε -Differential Privacy (ε DP) vs. fully Homomorphic Encryption (fHE)

	Category	arepsilon DP	fHE
	Goal	Mine information in a DB without compromising privacy; no access to inspect individual DB entries	Provide a secure encryption allowing program execution on encrypted data; encrypt results, interpretation requires ability to decrypt the data
	Pros	Theoretical limits on the balance between utility and risk of sharing data	Elegant and powerful math framework for bijective (encode/decode) encryption. Fast
	Cons	Difficult for unstructured, skewed, and categorical data	There are limitations on deriving f' – commutative analytic evaluators



ε -Differential privacy (ε DP)

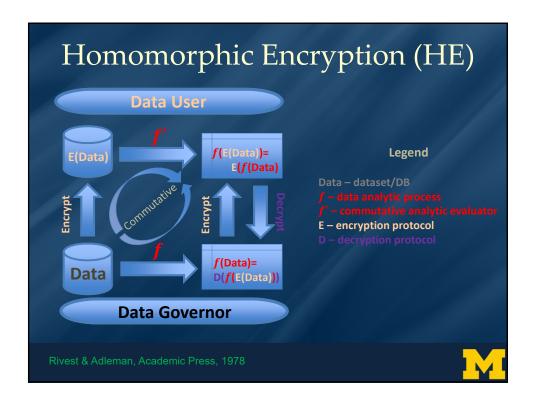
- □ **Data-features**: $\{C_1, C_2, ..., C_k\}$, categorical or numerical.
- \Box ε -Differential privacy relies on adding noise to data to protect the identities of individual records. An algorithm f is ε -differentially private if for all possible inputs (datasets/DBs) D_1, D_2 that differ on a single record, and all possible f outputs, y, the probability of correctly guessing D_1 knowing y is not significantly different from that of D_2 :

$$\frac{P(f(D_1) = y)}{P(f(D_2) = y)} \le e^{\mathcal{E}}, \quad \forall y \in Range(f).$$

- ☐ The global sensitivity of f is the smallest number S(f), such that $\forall D_1, D_2$ that differ on at most one element $||f(D_1) f(D_2)||_1 \le S(f)$
- ☐ There are many differentially private algorithms, e.g., random forests, decision trees, k-means clustering, etc.
- □ E.g., $f: D = DB \to R^m$, the algorithm outputting $f(D) + (y_1, y_2, ..., y_m)$, with $y_i \in Laplace\left(\mu = 0, \sigma = \sqrt{2}\frac{S(f)}{\varepsilon}\right)$, $\forall i$ is ε -differentially private

Dwork, LNCS, 2008





DataSifter

- □ DataSifter is an iterative statistical computing approach that provides the data-governors controlled manipulation of the trade-off between sensitive information obfuscation and preservation of the joint distribution.
- ☐ The DataSifter is designed to satisfy data requests from pilot study investigators focused on specific target populations.
- □ Iteratively, the DataSifter stochastically identifies candidate entries, cases as well as features, and subsequently selects, nullifies, and imputes the chosen elements. This statistical-obfuscation process relies heavily on nonparametric multivariate imputation to preserve the information content of the complex data.

http://DataSifter.org

US patent #16/051,881

Marino, et al., JSCS (2019)



